

## Quiz 2

### Solutions

Choose the best answer.

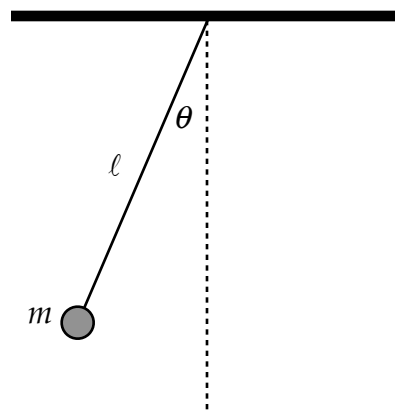
- You are riding an elevator down from the 50th floor of a high building. For the first two floors the elevator accelerates downward, reaching a rapid speed. For the next 46 floors it descends at constant speed. For the last two floors it accelerates upward, to come to a stop at the ground floor. Your weight (as perhaps measured by standing on a bathroom scale):

  - Is lowest when the elevator is between floors 48 and 2.
  - Is lowest when the elevator is between floors 50 and 48. [ $\mathbf{g}$  and  $\mathbf{a}$  are both down, so  $g_{eff} < g$ .]
  - Is lowest when the elevator is between floor 2 and the ground floor.
  - Is the same throughout the descent.

Choose T or F depending on whether the statement is true or false.

- Sharp curves on a highway are banked so the normal force helps provide the needed radial force to allow a car to make the curve without sliding. **T**

- Shown is a pendulum at the top of its swing, momentarily at rest, about to swing back downward. The string is massless. Give answers in terms of  $g$  and the quantities shown.



- What is the tension in the string?
- What is the acceleration of the mass?
- At the bottom of the swing when the string is vertical, we will soon be able to show that the mass has speed given by  $v^2 = 2\ell g(1 - \cos\theta)$ .  
What is the tension in the string at that instant?

[Draw good free-body diagrams in both situations. For parts a and b, choose a coordinate system with one axis along the string.]

- a. Free-body diagram below left. In the  $y$ -direction:  $T - mg \cos \theta = 0$ . So  $T = mg \cos \theta$ .
- b. In the  $x$ -direction:  $mg \sin \theta = ma$ . So  $a = g \sin \theta$ .
- c. Free-body diagram below right. The radial force is  $T - mg = mv^2 / \ell = 2mg(1 - \cos \theta)$ , so  $T = mg(3 - 2 \cos \theta)$ . [Consistency check: if  $\theta = 0$  (the pendulum is not swinging at all) then  $T = mg$  as expected.]

